

GAMMA RAY OPTICS

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Outline

- Motivation
- Gamma Ray Optics
 - Diffractive
 - Refractive
- Measurements
 - Refractive index
 - Pair creation threshold
- Outlook
- Conclusion

Motivation: nuclear Photonics



New brilliant sources based on Compton back scattering





Spectrum delivered by Compton Backscattering source



Spectral requirements nuclear point of view

$$\Delta E_{\tau} = \frac{4.1 \times 10^{-15}}{\tau} \le 1 \quad \text{eV} \qquad \tau \sim 10^{-15} \dots 10^{-6} \text{ s}$$

Broadening due to thermal motion:

$$\Delta E_{Th} = E_{\gamma} \frac{v_{Th}}{c} = E_{\gamma} \sqrt{\frac{3k_B T}{mc^2}} \rightarrow \frac{\Delta E_{Th}}{E_{\gamma}} < 5 \cdot 10^{-5} \qquad \text{In most cases dominating}$$



Example: $\tau > 10^{-15} \text{ s}, E_{\gamma} = 1 \text{ MeV}, T = 300 \text{ K}$ $\Delta \text{E} = 50 \text{ eV}$

What is really required from a nuclear point of view



What is this talk about?



Monochromatization via Crystal Diffraction



How to realize diffraction



Double crystal geometry







ILL as photon source



GAMS5 operating in dispersive and nondispersive geometry





Diffraction efficiency of a perfect crystal



How much do we really diffract?



Approach 1: Correcting completely the divergence by refractive optics



Could be pushed to by 1000

Could be pushed to by 10

collimation target perfect crystal

Lens - single crystals scheme:

Normal single crystals scheme:





Requires lens system for g-rays: **REFRACTION** @ γ -ray Energies?

Refractive Index

$$n(E) = 1 + \delta(E) + i\beta(E)$$

If \neq 0 then one can build refractive opitcs

$$a \int_{-\infty}^{R} f = \frac{n}{2\delta}$$

A. Snigirev et al., Nature Vol 384, 1996 For X-rays $\delta = -10^{-5} \dots -10^{-6}$



For X-rays refractive optics is known



Measuring the refractive Index



Measuring the refractive Index for γ-Rays



Prism installed between the two crystals

Si prism, 160 degree, faces optically polished

Alignment stages

Results



Possible Explanation (D. Habs)

Refractive index is related to forward scattering amplitude

Kramers-Kronig dispersion relation:

$$A_{f} = A_{rf} + iA_{if} \qquad \qquad A_{rf}(E_{\gamma}) = \frac{E_{\gamma}^{2}}{\pi 4\pi^{2}\hbar c_{-}^{2}} l \lim_{\varepsilon \to 0^{+}} \int_{0}^{\infty} \frac{A_{if}(E)}{E E^{2} - E_{\gamma} + i\varepsilon_{-}^{2}} dE$$

$$A_{rf}(E_g) = \frac{E_g^2}{2\rho^2\hbar c} \lim_{\ell \to 0^+} \bigcup_{0}^{\Box} \frac{S_{abs}(E)}{E^2 - (E_g + i\ell)^2}$$

If we want to explain positive index of refraction we need to look for processes, which increase strongly with energy

Possible explanation (D. Habs)

Germanium



New Measurement @ ILL



Measurement of the Pair creation cross section



The complete picture

More processes to be considered: elastic and inelastic Delbrück scattering (Calculations by D. Habs and M. Günther from LMU/MPQ Munich)



Results (comparison with expectation)



Next measurements: very near future

- Physics: measurement of Z-dependence
- precision Prism would be needed
- thick material \rightarrow homogeinity?



Interferometric measurement





 $\begin{array}{c} 1.0 \\ 0.5 \\ 0.0 \\ -1.0 \\ -1.5 \\ -1.5 \\ -1.0 \\ -1.5 \\ -1.5 \\ -1.0 \\ -1.5 \\ -1.0 \\ -1.5 \\ -1.0 \\ -1.5 \\ -1.0 \\ -1.5 \\ -1.0$

Possible working range:

Calculation for Si:

- ~ 0.8 period phase shift
- enough to detect sign
- for higher Z materials stronger effect expected

First test of techniques and applications: still this year



Conclusion

- Crystals can be used as optical elements for γ -rays
 - Beam splitter
 - Collimator
 - Monochromator
 - (lens)
- Refractive Optics for gamma rays is possible
 - Refractive index \neq 0 for γ -rays
 - Investigations of more materials planned
- Combining Refracting and Diffracting Optics very promising
- ILL is perfect test bench to develop technologies